



## Cellular Automata and Artificial Intelligence: II

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As mentioned in the first installment of this series, there are three phases of behavior of cellular automata:

- 1) Constant or repeating patterns of behavior
- 2) Self-organizing behavior
- 3) Random behavior

These three phases are determined by the three parameters:

- 1) The program executed by each cell
- 2) The statistical distribution of the interconnections
- 3) The number of cells

If two parameters are held fixed and one varied, all three phases should be exhibited. I want to report on empirical results confirming this basic picture.

The parameters that are fixed are 2) and 3) above. The cellular automata are extremely simple: one-dimensional arrays of cells. Each cell is connected only to its two neighbors. Each cell can take on only two values (by convention, the binary digits 0 and 1). The value of the cell at time  $t$  is determined by the value of the cell and its neighbors at time  $t-1$ . The number of cells is "infinite" (very large).

What does it mean to vary parameter 1), the program executed by each cell? There is no obvious dimension in the space of programs along which to vary anything. This is analogous to the situation before temperature was discovered. Recently, researchers have discovered an "activity parameter" analogous to temperature. The program of the cell determines a three-dimensional table. If the value of the left neighbor, the cell itself, and the right neighbor at time  $t-1$  are  $i$ ,  $j$ , and  $k$  (respectively), then the  $i, j, k$  entry in the table is the value of the cell at time  $t$ . The activity parameter is a measure of the density of 1's in the table. Since there is a symmetry between 0 and 1, the range of the activity parameter is 0 to .5. If the density is low (near 0), then the cellular automaton exhibits constant behavior (type 1). If the density is high (near .5), then the automaton exhibits random behavior (type 3). If the density is near .25, the automaton exhibits self-organizing behavior (type 2).

Does this have any relevance to artificial intelligence? Is self-organizing behavior intelligent behavior? Pattern recognition is one aspect of intelligence. Researchers have shown that self-organizing cellular automata are better at recognizing patterns than other cellular automata. The pattern in question is density of 1's in the initial state of the cellular automaton. A cellular automaton "recognizes" this pattern by turning the state with more 1's into the state of all 1's, and the state with less 1's into the state of all 0's. An ensemble of cellular automata are prepared with activity parameters uniformly distributed over the range 0 to .5. Each cellular automaton starts with random values in its cells and runs for one hundred time steps. If the cellular automaton recognized the initial state correctly, its program table is kept and duplicated (with mutations). Otherwise, the program dies out. After a few generations, the surviving programs converge on activity parameters near .25. In other words, a simple form of natural selection selects self-organizing cellular automata.

Of course, many questions remain. Can self-organizing cellular automata recognize other patterns? For example, can they add two numbers represented in the initial state? Can they multiply two numbers? Can they be shown to be computationally universal? What happens if the neighborhoods are expanded? Is pure locality a help or a hindrance? These are currently the topic of a great deal of research.

The Marble Problem: Further Comments

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A few months ago, I submitted a series of letters expressing doubt concerning several different contributions to Noesis. The first such contribution involved the editor's "marble problem" as it appeared in Trial Test B; the second involved a conundrum known as Newcomb's problem. Both topics were apparently among those discussed at the Society's July meeting. Four sets of remarks on Newcomb's problem were aired in a recent issue; while they seem incisive, they obviously fall well short of a solution.

As much as I'd like to follow up directly on those insights, there are reasons to preserve the order in which these topics were introduced. The first (problem 26, T.T.B.) seems to have been summarily disposed of in two consecutive pieces on the concept of "Bayesian Regression" (Noesis, issues 26 and 28). While reflecting a well-developed awareness of epistemological principles, these pieces may require qualification in that they came on the heels of my own critique, which is what some readers may have assumed they were meant to address. I now have the time to draw some necessary distinctions.

Problem #26, as it was originally formulated by the editor, is an instance of Bayesian inference on the basis of evidence, and is therefore distinct from the anecdotal cases discussed in the pieces abovementioned. Evidence of the kind cited in #26 - a tenfold random sample with replacement - reflects the distribution of marbles in the box because it is in a sense *caused* thereby.

Probability theory is designed to allow for deficiencies in our knowledge of incidental causality, and does not require that we produce complete accounts of the mechanistic chains linking causes with effects. Such a complete accounting would render every situation totally deterministic, or nonprobabilistic. To insist that probability theory is by nature inadequate to deal with informational limitations is to deem it useless for its intended purposes, and this is too harsh a judgment - even though the theory is still in some ways immature. Its weaknesses, such as they are, have frequently been cast in terms of *Bayes' theorem*, a mainstay of the patchwork science of induction.

Bayes' theorem, a simple equation often written in the form  $p(a,b) = [p(b|a)p(a)] / \sum_i p(b|a_i)p(a_i)$ , where *b* represents the sample data and the *a* represent the totality of *s* distinct *n*-ary distributions in *q* predicates ( $s = C$ ), is undefined without certain primary input (usually called "initial information", this input corresponds in the present case to the number *q* of colors of marbles from which the box of capacity *n* was "indifferently" filled). But just as it is meaningless to chase probabilities without first setting the context, it is no less so to pursue them down streets of fabrication on wheels of tautology.

At the expense of depth, we might best summarize the correct reasoning as follows: when one seeks to answer a question such as "what is the sum of 1 and 1?", one can either work within a standard context, answering "2", or extend or replace the standard context with a nonstandard number system in which  $1 + 1$  equals something else. For example, we might interpret "1" as the highest element in the set of velocal coefficients of the speed of light in special relativity, whereby  $1 + 1 = 1$ ...even though the problem formulation gives us no way to decide the relevance of such a

nonstandard interpretation (concerning which one might argue that the problem, being posed within this relativistic universe, demands a relativistic interpretation). Such disagreements about the level or scope of the appropriate context, by the way, lead to serious difficulties for anyone trying to measure intelligence, especially at a level higher than his own.

Conveniently, problem #26 shares certain aspects with 1 + 1. When one initializes the computation with colors for which there is no justification in the data or data/hypothesis formulation, one is doing roughly what is described above. But here one seeks a probability, and probabilities are always defined relative to particular amounts of data. To change the data by adding trials, colors, or information of any kind is to change the problem; when such information is conjured out of thin air, conclusions derived from it can make no pretensions to validity. For example, in order to assume equal (or unequal) likelihoods for all numbers of colors from 1 to 10 (as at least one member has suggested), we must first assume the outward existence of ten or more distinct colors. But this assumption is insupportable within the context defined on the available data, whose language of formulation may or may not support such distinctions. This means that we can use only two colors as initial information in Bayesian inference on #26: *white* (by direct reportage) and *nonwhite* (without which a probabilistic determination short of unity can be neither sought nor delivered).

The principle of indifference ("insufficient reason") applies to these predicates only, which it balances so as not to skew the initial information with which Bayes' formula must be primed. That is, the principle should be applied *before* speculation, not afterwards; its purpose is to *avoid* speculation, not create it. The implications are clear for #26: Bayesian inference over the allowable predicates *white* and *nonwhite* assigns a probability of approximately .67 to the given hypothesis. Anything else amounts to pure speculation, and "paradoxes" arising among contradictory speculations are as groundless as the speculations themselves.

*Occam's razor*, of which there is a tacit application in the above reasoning, is a principle of induction which proscribes the unnecessary proliferation of logical quanta. In the present case, necessity involves the formulation of observations over a range of perceptible colors, this range defining observation and thus being implicit in the observational formulae. Occam's razor is central to such theories of meaning as pragmatism and logical positivism, and thus to the entire school of philosophy known as logical empiricism. It has been applied by von Leibniz as "the principle of the identity of indiscernibles" and by Einstein in the theory of relativity. Difficulties with its use generally come down to an incomplete set of applicative distinctions. Its effect here is to prevent a conclusion ( $P(\text{hyp.}) = .67$ ) from exceeding the inherent limitations of the data on which that conclusion is based. The principle of indifference can be regarded as its mere corollary.

If anyone still nurtures a burning desire to reformulate the marble problem, it will suffice to replace the rather vague clause "at this point" with one more clearly defining the relevant data: "What is the probability, *on the basis of these trials alone*, that the box contains only white marbles?" Any further substantive

revision would change the problem instead of clarifying it, and do so in futile pursuit of an endless "regression" of probabilistic dependencies from which the only valid exit is the one given here.

Mr. Cole's comments interest me in particular because they are analytic within my own version of inductive logic, developed for application to just such questions as he mentions. Most such questions, however, can be stated with deceptive ease relative to their actual complexity, and the details of most theories of induction require some background in symbolic logic and various kinds of abstract mathematics. The foregoing remarks are merely an informal application of an extensive theory; for those without the necessary "domain-relevant skills", its wholesale reduction to bite-sized form could result in malnourishment by content. Accordingly, the above comments on #26, while they are in a sense sufficient for the resolution of the dispute centering upon it, are far from complete. Given enough space for explanation, it would be possible for me to address the issue in a way that would quiet the uneasy intuitions of intelligent skeptics and show why the initial criticism of this problem is not as far off base as I've perhaps made it seem. But the call is editorial and obviously not mine alone to make. It would depend mainly on the thoroughness with which Noesis, in accord with the current name of the society it represents, aspires to report the "research" of its member-subscribers. As much as the subject at hand resists an abbreviated approach, Newcomb's problem will resist harder still.

Meanwhile, to lead perspective to our conclusion, I'll merely note that correct solution of many of the editor's test questions does indeed call for the use of outside information, and often in appreciable measure. It is only for certain problems that we must disallow this: for instance, where the probabilistic uncertainty, of which we are given some fixed amount, circumscribes the context with respect to a set of logical variables. It may be tempting in such cases to lure the formulator into extending our base of information and thus changing the problem. But however much this might reflect the spirit of unbridled scientific ingenuity, it is in low accord with the spirit of such problems.

Last, let me point out that such controversies as this one are not always simple matters of who's right and who's wrong. Where neither side in a dispute appears to have taken full account of its logic, a dialectic can sometimes arise from which a better understanding emerges. This situation constitutes the basis for a good deal of what human beings ultimately come to regard as truth, even though one individual's knowledge sometimes proves decisive in the end. That, I assume, was at least partially behind the redesignation of this society as a "research group". C. M. Langan

PROBLEM 26, TRIAL TEST B: "Suppose a black box contains ten marbles of unknown colors. The marbles' colors can be determined only by selecting one marble at a time at random from the box, but it must be returned to the box and mixed thoroughly with the rest before another marble is chosen for inspection. If ten marbles are inspected in this way and all turn out to be white marbles, what is the probability at this point that the box contains only white marbles? (Round to the nearest whole percent.)" (From Noesis #10.)

# United States Patent [19]

May

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[54] BOARD GAME INCLUDING BOARD  
WHOSE PLAYING SURFACES ARE  
RELATED

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[22] Filed: Dec. 2, 1986

[51] Int. Cl.<sup>4</sup> ..... A63F 3/00

[52] U.S. Cl. .... 273/243; 273/291;  
273/287

[58] Field of Search ..... 273/261, 284, 260, 287,  
273/243

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Macpeak, and Seas

[57] **ABSTRACT**

A multiple board game apparatus comprises a board with first and second playing surfaces and a plurality of identical game pieces for playing a multiple number of board games. The first surface of the board is divided into triangles and the second surface is divided into hexagons. The vertexes of the triangles on the first surface form points of intersection. The total number of points of intersection on the first surface are equal in number to the total number of hexagons on the second surface. The level of difficulty of each game can be varied by playing on either the first or second side. The game pieces have a directional feature, a substantial thickness and are reversible to provide dual identification for each piece.

FIG. 1

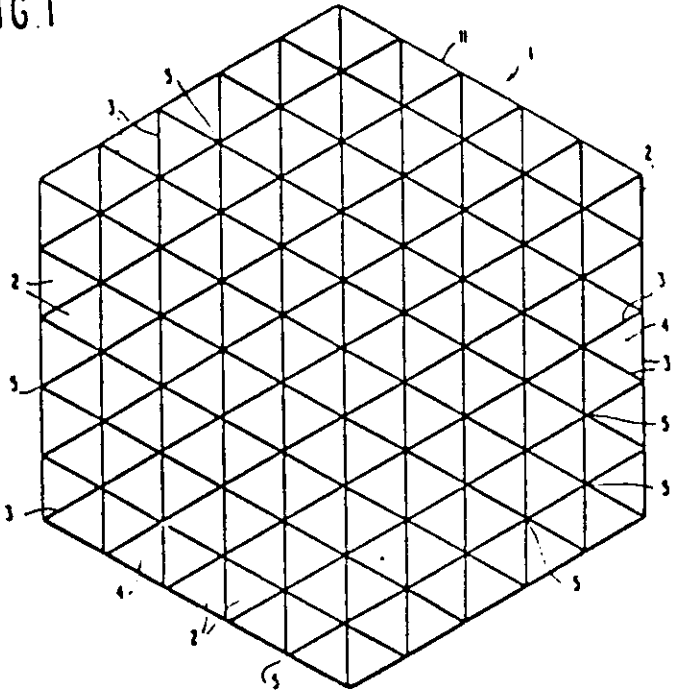


FIG. 2

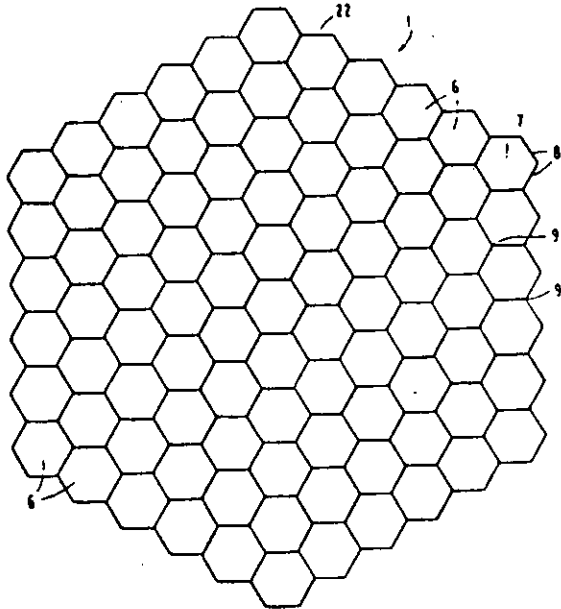


FIG. 3

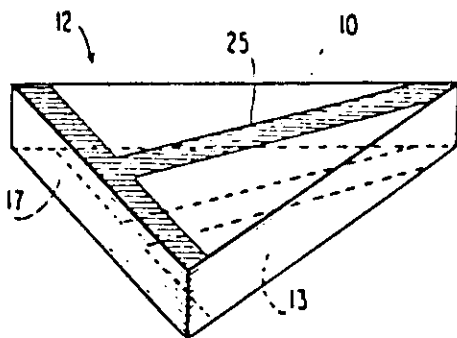


FIG. 4

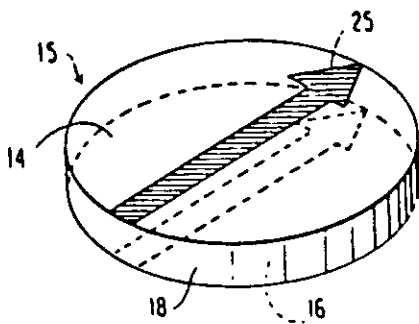


FIG. 5

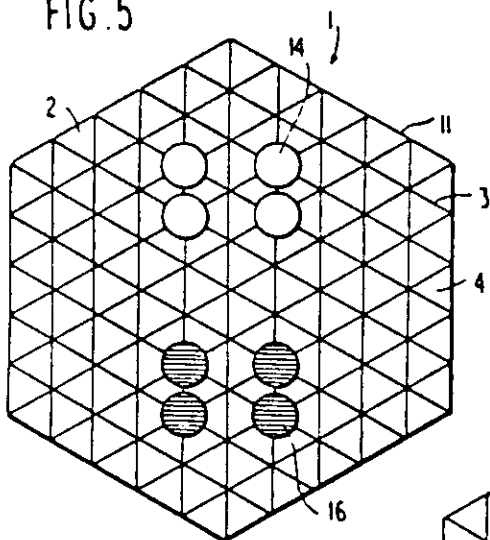
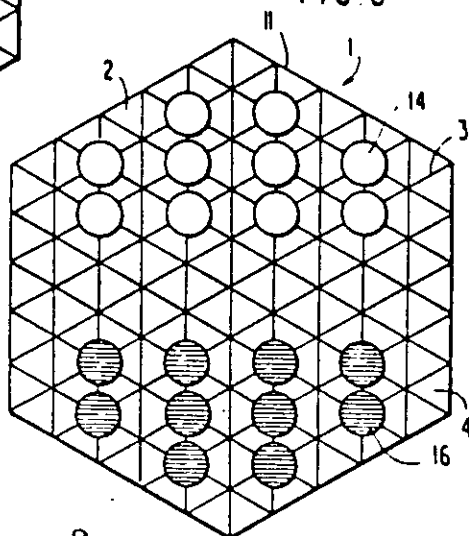


FIG. 6





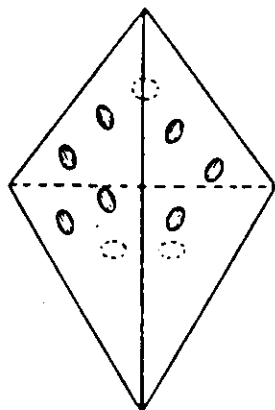


FIG. 7

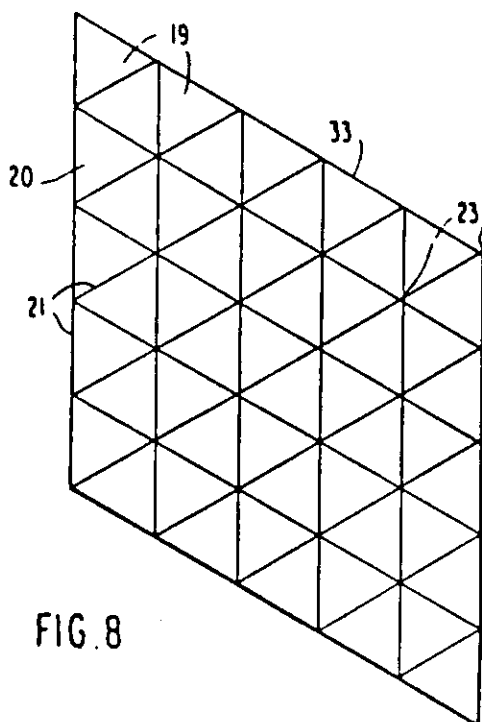


FIG. 8

## BOARD GAME INCLUDING BOARD WHOSE PLAYING SURFACES ARE RELATED

### BACKGROUND OF THE INVENTION

The present invention relates to games of amusement and, in particular, to a game board having pieces for playing a multiple number of games with the level of skill and complexity for each game capable of being varied to suit the players.

Strategic board games having pieces which are moved about playing spaces on the board have long been known, with the object often being ultimately to capture all of the opponents pieces or blocking the opponent so that there are no more moves available.

Games such as checkers are easy to learn and understand, as well as inexpensive to manufacture because the playing pieces are identical. On the other hand, games such as chess require a higher level of skill and strategy and are more expensive to manufacture because of the various shaped playing pieces.

Many games are capable of being used for only a single game using no more than two players and involve a level of skill that cannot readily be varied without substantially changing the character of the game.

### SUMMARY OF THE INVENTION

The present invention provides a novel and unique game board and game pieces for playing a multiple

number of games. The hexagonally shaped game board is reversible, having a first side divided into triangular shaped areas while the second side is divided into hexagonally shaped areas. Each area has a common side with an adjacent area and the pieces can be moved from point to point along the lines in one embodiment or from area to area in another embodiment. When the game pieces are set up on the points of the first side of the game board, there are six possible directions of movement, and when the pieces are set up on the points of the second side of the board there are only three possible directions of movement. This smaller number of possible moves simplifies the play of each game.

The game pieces of the present invention are stackable, reversible and directional. The pieces are preferably wedge shaped or disk shaped and are inexpensive to manufacture. The game pieces have two opposite sides which are of a different color, each color representing a respective opponent. Thus, when a player captures a respective opponent's piece the piece is flipped over and becomes the color of the captor's side. The pieces may be stacked to indicate that they have increased power or greater range of movement in accordance with the particular rules for each game. The pieces are directional in that the pieces may have an asymmetrical shape or may be provided with an arrow or marking indicative of direction which will indicate if a piece has been promoted to a piece having greater power.

Accordingly, it is a feature of the present invention to provide a game board and game pieces that can be used to play a number of different board games that can be played by one, two, or more than two people.

Another feature of the present invention is to provide a game board that is reversible with each side capable of playing each game without substantially varying the rules but providing different levels of skill between the two sides.

Another feature of the present invention is to provide a multiple board game apparatus of skill and strategy that can also be played with a single die to add a chance version to each game.

These and other features of the present invention will become readily apparent from the following detailed description, taken with reference to the accompanying drawings.

#### BRIEF DESCRIPTION OF THE DRAWINGS

FIG. 1 is a top plan view of a first side of a game board embodying the present invention.

FIG. 2 is a top plan view of a second side of a game board embodying the present invention.

FIG. 3 is a perspective view of a playing piece having two flat triangular sides.

FIG. 4 is a perspective view of a playing piece having two flat circular sides.

FIGS. 5 and 6 are each top plan views in FIG. 1, illustrating game pieces set up for an exemplary game

showing various levels of difficulty of play.

FIG. 7 is a perspective view of a tetrahedral die.

FIG. 8 is a top plan view of a first side of a game board showing a second embodiment of the invention.

## DETAILED DESCRIPTION OF THE INVENTION

A game board according to the present invention comprises a geometrically shaped board formed of any suitable material such as cardboard. The game board is reversible and can be used to play a multiple number of games. FIGS. 1 and 2 illustrate the two playing surfaces of the present invention.

Referring to FIG. 1, a six sided or hexagonally shaped game board 1 is shown. FIG. 1 depicts a first playing surface 11 of the game board which is divided into a plurality of equilateral triangles 2. The triangles are symmetrical and contiguous with each triangle having a common side with each adjacent triangle. Each triangle, having a space or area 4, being defined by the sides 3, form three vertices or points of intersection 5. In the preferred embodiment of the board game one hundred fifty triangles form ninety-one points of intersection. The game pieces, to be described later, can move from space to space, or alternatively, from point to point along the sides of the triangles depending upon the game to be played and the desired level of skill. Thus, a game piece placed on a point of intersection on side 1 of the game board can move in six possible directions along the lines radiating from an interior point of intersection 5.

FIG. 2 depicts the reverse side of the hexagonally shaped game board 1 shown in FIG. 1. A second playing surface 22 of the game board is divided into a plurality of identical hexagons with each hexagon sharing a common side with each adjacent hexagon. Each hexagon has a space or area 7 defined by sides 8 which form six vertices or points of intersection 9. If the game pieces are set up on the points of intersection on the second surface there are only three possible directions of movement.

In the present invention the number of points of intersection 5 on the upper surface 1 equals the number of hexagons 6, and in the preferred embodiment, that number is ninety-one. Likewise, the number of triangles 2 on the first side equals the number of points of intersection 9 on the second surface, with that number being one hundred fifty in the preferred embodiment. Because the points of intersection of one side correspond to the spaces of the other side, each game played according to the rules can be played on either side of the game board. However, according to one of the features of the invention, the rules and character of the game can be maintained while the level of skill and strategy can be varied. For example, if the game is played on the first surface 11

with the pieces placed on the points, each piece has six possible directions of movement and, when the rules permit, may move in a linear direction along a plurality of points. However, if the same game is played on the second surface 22 and the pieces are placed on the points, each piece can move in only three possible directions between only two points because the points are not linearly aligned. The reduced freedom of movement simplifies the game and requires a lower level of skill and strategy.

FIG. 8 depicts a game board of the second embodiment of the invention. A rhombus shaped board 33 is shown having a first playing surface 33 with the essential features as disclosed in FIG. 1. The playing surface 33 is divided into a plurality of equilateral triangles 19. Each triangle, having spaces 20 defined by sides 21, forms three vertices or points of intersection 23. The rhombus shaped board can be a separate game board or could be formed by sectioning off the appropriate parts of the hexagonally shaped board.

The game pieces are illustrated in FIGS. 3 and 4. Referring to FIG. 3, a game piece 12 is depicted. The game board utilizes many game pieces in playing the variety of games with the number of pieces used depending on the game to be played and the desired level of skill. The game piece comprises two flat parallel triangular sides 10 and 13 which enable the pieces to easily be stacked. Between the sides is disposed a filler material 17 of styrofoam or any suitable material capable of giving the game piece a substantial thickness so when the pieces are stacked the number of pieces in each stack can be readily ascertained. FIG. 4 illustrates a game piece 15 which has two flat parallel circular sides 14 and 16 with a filler material 18 disposed therebetween. Each game piece includes direction defining means which comprise some type of marking such as an arrow 25 on each side of the piece. Directionality may also be achieved by the inherent, spatial asymmetry of the piece, for example, as in an isosceles triangle (having only two equal sides), with the axis of symmetry indicating direction of movement. The direction of each game piece is an indication of its power and movement capabilities which vary depending on the rules of each game.

Each game piece also contains dual identification which enables it to be used by either opponent. Indicating means showing possession could, for example, comprise side 14 of game piece 15 being of one color and side 16 being of another color, with each opponent being assigned to one of the colors. When one player captures a game piece of an opponent the change of possession can simply be illustrated by flipping over the game piece.

The board game apparatus of the present invention can be used to play a multiple number of games. Presently the rule book which accompanies the game board apparatus discloses eighteen different games to be

played with many games including one or more variations. The rules are such that each game can be played on either the points or the spaces of both surfaces of the game board, and as discussed above, one way of increasing the level of skill and strategy of each game is to play on the points of the first surface as opposed to playing on the points of the second surface. The difficulty of play of each game can also be varied by using a smaller area of the board with a reduced number of points and pieces. This results in a lower level of difficulty and strategy and can likewise speed up the duration of the game.

All games may be played with a chance version in which the tossing of a single tetrahedral die, as shown in FIG. 7, determines the number of pieces played or moved per turn.

An exemplary game of the multiple board game apparatus will now be disclosed to illustrate the features of the present invention. The game is arbitrarily called "Hypercheckers" and is played on the first surface 11 of the game board using all ninety-one points. FIG. 5 and 6 depict the starting position of the pieces on the game board at two different levels of play. One player will be assigned to the white pieces and the other to the black pieces.

The pieces may be moved, one piece per turn, in one straight line in any of the six directions to another point either occupied by a piece of either color or to an unoccupied point. A move consists of moving a stack of pieces as many points as there pieces in the stack. At the beginning of the game all the stacks are one piece high so a piece can only be moved to an adjacent point, only one space over. A stack two pieces high can be moved in one straight line to a point two spaces distant. Similarly stacks of three, four, or  $n$ -pieces may be moved three, four, or  $n$ -units of distance to a new point, either occupied or unoccupied.

The color of the uppermost piece in the stack determines which player controls the entire stack. A stack may be moved over intervening points whether they are unoccupied or occupied by a stack or stacks controlled by the player making the move. Stacks passed over are not in any way changed or influenced. A move of a piece may end on either an unoccupied point or on a stack controlled by either player. If a player moves one of the stacks onto a point occupied by a stack controlled by the opponent, then the resulting combined stack is under control of the player making the move because the uppermost piece of the new stack is a piece of that player's color.

An unpromoted stack cannot be moved over other stacks controlled by the opponent. A stack is promoted if it reaches the points of the initial position of the opponent's pieces. The promotion of the pieces is indicated by reversing the directional means of the game piece so that the arrow or triangle points in a direction opposite to the direction of the directional means of unpromoted

pieces. Such a promoted stack can now move over stacks controlled by the opponent. The range of movement of a promoted stack is equal to or less than three times the number of pieces in the stack. A player who controls a stack may make a move of fewer units than the total number of pieces in the stack. This is done by lifting as many pieces from the top of the stack as the number of units a player intends to move. The remaining pieces in the stack stay where they are.

There is no maximum number of a player's own pieces which may be contained within a stack, hence stacks can be made of any height with no upper limit. However, a stack is permitted to have a maximum of two opponent's pieces within it. If a move is made causing a stack to form having more than two opponent's pieces within it, then all of the opponent's pieces in excess of two within the stack are removed from the lower portion of the stack and are considered captured and taken from the board by the player making the move. Captured pieces are captured as individual pieces, i.e., stacks of one piece, not stacks of more than one piece, regardless of their number and arrangement in the stack from which the pieces are removed. The additional pieces belonging to the player making the move remain within the stack. There is no capturing by jumping in "Hypercheckers".

Captured pieces can be used by the capturing player against their original owner. A captured piece may be reinstated on any turn of the capturing player at any point of the board, either unoccupied or occupied by a stack under control of either player. If a player reinstates one of his captured pieces onto a point occupied by a stack under the control of an opponent, then the resulting combined stack is under control of the player making the move because the uppermost piece of the new stack is a piece of that player's color. The re-entering of a captured piece by the captor constitutes a turn. Such a piece reinstated by the captor is called a paratroop or drop, because of its actual descent onto the board from the side. Dropped pieces must be identifiable visually as now belonging to the opponent (i.e., captor) and not the original owner, i.e., the game piece must be reversed. A captured promoted piece loses its promoted status, and if reinstated, is dropped into the game as an unpromoted piece. If the dropped piece is reinstated on its promotion points (the points of the initial position of the opponent's pieces) it may be promoted on its next move.

The object of the game is to make it impossible for an opponent to legally move by having all the stacks controlled by a player's own pieces and/or by blocking the remaining stacks of the opponent so they cannot move.

While preferred embodiments of the invention have been shown and described, various other embodiments and modifications thereof will become apparent to persons skilled in the art, and will fall within the scope of the invention as defined in the following claims.

What is claimed is:

1. A multiple game apparatus comprising:

a reversible board having a hexagonal configuration and having first and second playing surfaces on opposite sides of said board, said first surface being divided into a plurality of triangles with each triangle comprising an enclosed space defined by three equilateral sides and having a common side with each adjacent triangle and points of intersection formed at each vertex of each triangle, said second playing surface being divided into a plurality of hexagons with each hexagon comprising an enclosed space defined by six equilateral sides and having a common side with each adjacent hexagon and points of intersection formed at each vertex of each hexagon; and

a plurality of identically shaped game pieces having first and second flat parallel surfaces;

the total number of said points of intersection of said first playing surface being equal in number to the total number of hexagons on said second playing surface whereby the level of skill and strategy is different for the same game played on said first and second playing surfaces since the game pieces played on the points of intersection of the first playing surface have six directions of possible movement along the lines radiating from a point of intersection whereas pieces played on the points of intersection of the second playing surface have three directions of possible movement along the lines radiating from a point of intersection.

2. A multiple game apparatus according to claim 1, wherein said first surface comprises 150 triangles and 91 points of intersection and wherein the second surface comprises 91 hexagons and 150 points of intersection.

3. A multiple game apparatus according to claim 1, further comprising a tetrahedral die having indicating means on each surface thereof for adding an element of chance to each move.

4. A multiple game apparatus according to claim 1, wherein said game pieces have indicating means for distinguishing between said first and second flat surfaces.

5. A multiple game apparatus according to claim 4, wherein said game pieces have means for defining direction.

6. A multiple game apparatus according to claim 5, wherein said game pieces have a substantial thickness allowing the number of pieces in a stack to be easily ascertained.

7. A multiple game apparatus according to claim 6, wherein said first and second flat surfaces of said game pieces are in the shape of a triangle.

8. A multiple game apparatus according to claim 6, wherein said first and second flat surfaces of said game pieces are in the shape of a circle.

MONDAY, OCTOBER 24, 1988

# ***This just in: Earth revolves around sun!***

**CHICAGO (AP) —** More than 450 years after Copernicus proved the Earth revolves around the sun, millions of adult Americans seem to think it's the other way around, a researcher reported yesterday.

"On very basic ideas, vast numbers of Americans are scientifically illiterate," said Jon Miller of Northern Illinois University, who conducted a nationwide survey for the National Science Foundation.

In the July telephone survey of 2041 adults 18 or older, people were asked about 75 questions testing their knowledge of basic science, Miller said.

Asked whether the Earth goes around the sun or the sun around the Earth, 21 percent replied incorrectly. Seven percent said they didn't know.

Of the 72 percent who answered correctly, 45 percent said it takes one year for the Earth to orbit the sun, 17 percent said one day, 2 percent said one month and 9 percent didn't know.

The responses indicate that about 55 percent of adult Americans, or some 94 million people, don't know that the Earth revolves around the sun once a year, Miller said.